

Q-complementarity in household adoption of photovoltaics and electricity-intensive goods: The case of electric vehicles

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Integration of Loads and Electric Storage Systems
into Advanced Flexibility Schemes for LV Networks



Past solar adoption research has shown:

- Return on investment (ROI) and incentive policies matter (Crago and Chernyakhovskiy, 2017 *JEEM*).
- Choice of adoption and scale of adoption are systematically different (Beckman and Xiarchos, 2013 *Renewable Energy*).
- Personal environmental motivations and life-cycle considerations are also important (Schelly, 2014 *ERSS*).

Past EV adoption research has shown:

- High initial cost is a major hurdle to adoption (Rezvani et al., 2015 *Transportation Research Part D*).
- Lack of charging infrastructure is a big barrier (Biresselioglu et al., 2018 *Transportation Research Part A*).
- Lack of trust in new technology and 'range anxiety' are also barriers (Biresselioglu et al., 2018 *Transportation Research Part A*).

Q-complements: linking PV adoption to large appliance ownership

The goods Y_1 (PV) and Y_2 (EV) are q-complements if for some utility function $U(Y_1, Y_2, Z)$:

$$\frac{\partial^2 U}{\partial Y_1 \partial Y_2} > 0$$

We show theoretically that this condition implies correlated demands for PV units and EVs.

People consume these goods in small, discrete quantities.

In a random utility framework with a linear representation we have:

$$U_i(Y_{1i}, Y_{2i}, Z_i | M_i, p_1, p_2) = \gamma_i Z_i + \alpha_{1i} Y_{1i} + \alpha_{2i} Y_{2i} + \alpha_{3i} Y_{1i} Y_{2i} + \hat{\epsilon}_i$$

Where $\alpha_{3i} > 0 \implies$ q-complementarity between the goods

Imagine a situation where the household i has already purchased a PV unit ($Y_{1i} = 1$), and considers getting an EV:

$$\begin{aligned} &U_i(1, Z_i | Y_{1i} = 1, M_i - p_1, p_2) - U_i(0, Z_i | Y_{1i} = 1, M_i - p_1, p_2) \\ &= \alpha_{2i} + \alpha_{3i} - \gamma_i p_2 + (\epsilon_i - \epsilon'_i) \end{aligned}$$

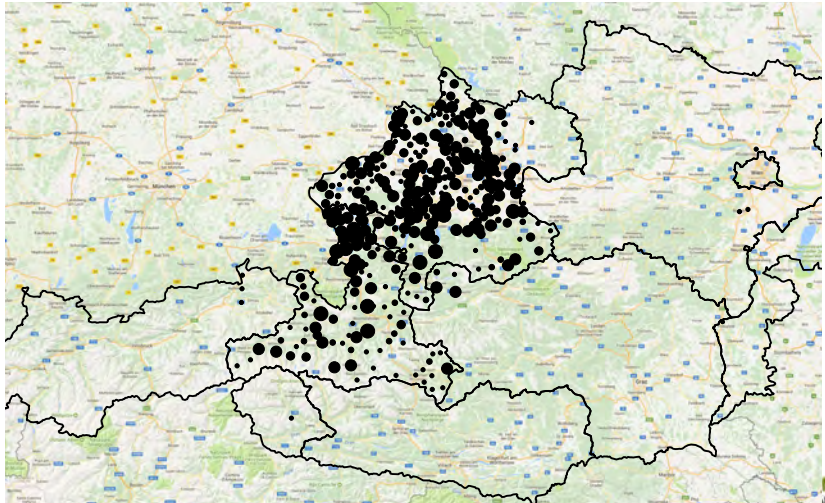
Adoption occurs if: $U_i(1, \cdot) - U_i(0, \cdot) > 0$

And when

$\alpha_{3i} > 0 \implies E[U_i(1, \cdot) - U_i(0, \cdot)]$ is higher.

Over a sample of households, this implies we should observe correlated demands for q-complimentary goods

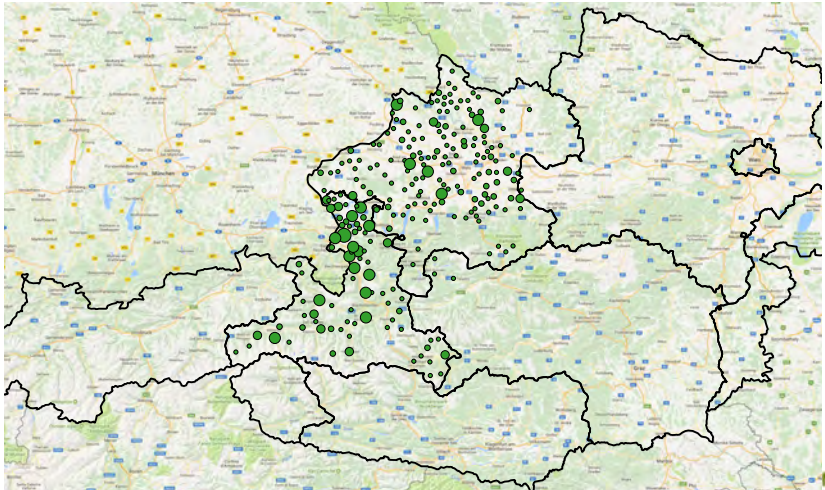
Survey respondents aggregated by postal code region



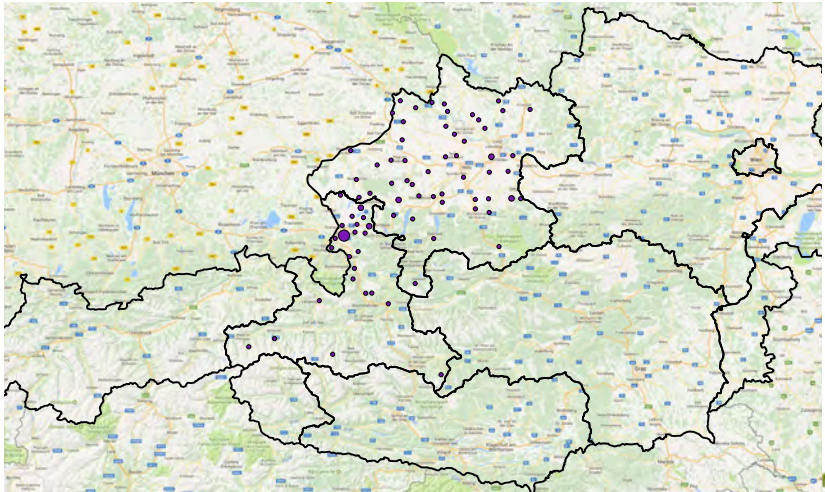
PV and EV adoption in survey respondents

<i>EV ownership</i>	<i>PV ownership</i>		Total
	not owned	owned	
not owned	1 865	569	2 434
owned	32	75	107
Total	1 897	644	2 541

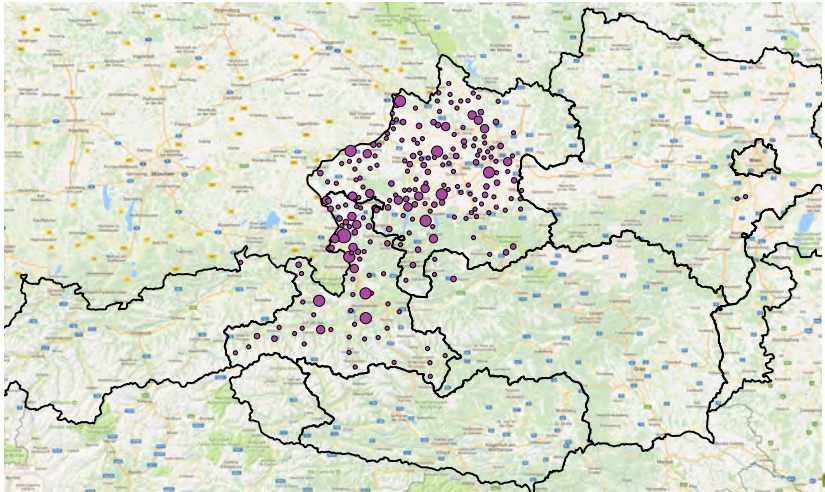
Locations of PV owners



Locations of EV owners



Locations of future EV purchasers



Explanatory variables from the survey

Variable	Description	Mean	Median	Std. Dev.
<i>PV_ownership</i>	=1 if HH owns a PV system	0.25	0	0.44
<i>EV_ownership</i>	=1 if HH owns an EV	0.04	0	0.20
<i>EV_plan*</i>	=1 if HH plans to buy an EV in next 5 years	0.25	0	0.43
<i>electric_heat</i>	=1 if the HH's main heater uses electricity	0.23	0	0.42
<i>dryer_ownership</i>	=1 if HH owns an electric dryer	0.61	1	0.49
<i>pool_ownership</i>	=1 if HH owns a swimming pool	0.19	0	0.39
<i>aquarium_ownership</i>	=1 if HH owns an aquarium	0.04	0	0.20
<i>waterbed_ownership</i>	=1 if HH owns a waterbed	0.04	0	0.19
<i>sauna_ownership</i>	=1 if HH owns a sauna	0.33	0	0.47
<i>owns_home</i>	=1 if HH owns their residence	0.88	1	0.33
<i>livingspace_home</i>	sq. meters of indoor living space	155.30	140	76.19
<i>singlefamily_home</i>	=1 if the HH lives in a detached home or duplex	0.76	1	0.43
<i>household_size</i>	Number of persons in HH	2.74	2	1.26
<i>income_cat1</i>	=1 if monthly HH net income < 1,800 EUR	0.16	0	0.36
<i>income_cat2</i>	=1 if monthly HH net income 1,800-2,900 EUR	0.36	0	0.48
<i>income_cat3</i>	=1 if monthly HH net income 2,900-4,400 EUR	0.34	0	0.47
<i>income_cat4</i>	=1 if monthly HH net income > 4,400 EUR	0.15	0	0.35
<i>high_environmentalism</i>	=1 if HH believes environment/climate are "primarily" or "very" important in energy issues	0.79	1	0.41
<i>UpperAT</i>	=1 if resident is from the state of Upper Austria	0.68	1	0.47
<i>population</i>	population in postal code region 1000's of persons	18.17	3.33	66.13
<i>leftvoters</i>	Pct. of postal code region that voted for "SPOE" political party in last election	26.16	22.99	6.97

N= 2,541; HH = household; *N=2,434 for this variable as the 107 HHs who already own EV are dropped.

Correlations in appliance purchases

	<i>pv_own</i>	<i>ecar_own</i>	<i>heat_gridtied</i>	<i>dryer</i>	<i>pool</i>	<i>aqua</i>	<i>waterbed</i>	<i>sauna</i>
<i>pv_own</i>	1							
<i>ecar_own</i>	0,2255	1						
<i>heat_gridtied</i>	0,1537	0,0266	1					
<i>dryer</i>	0,1261	0,0254	0,0868	1				
<i>pool</i>	0,0808	0,053	0,0507	0,1765	1			
<i>aqua</i>	0,0372	-0,0151	0,0065	0,0748	0,0598	1		
<i>waterbed</i>	0,0301	0,0158	0,0121	0,0768	0,132	0,0712	1	
<i>sauna</i>	0,1133	0,0591	0,0539	0,1389	0,241	0,0135	0,0715	1

Probit model

We use probit specifications to model binary adoption choice

$$y_i = 1 \quad \text{if } y_i^* > 0$$

$$y_i = 0 \quad \text{otherwise}$$

with

$$y_i^* = \beta' \mathbf{x}_i + \epsilon_i, \quad \epsilon_i \sim N(0, 1)$$

where y_i^* is a latent variable measuring the change in utility from adopting an appliance

Probit model results predicting PV and EV ownership

	Dependent Variable is <i>PV_ownership</i>		Dependent Variable is <i>EV_ownership</i>	
	Marg. Eff.	Std. Err.	Marg. Eff.	Std. Err.
<i>EV_ownership</i>	0.314***	(0.0329)		
<i>PV_ownership</i>			0.0770***	(0.00943)
<i>electric_heat</i>	0.0961***	(0.0167)	-0.0104	(0.00935)
<i>dryer_ownership</i>	0.0279*	(0.0169)	-0.0059	(0.00835)
<i>pool_ownership</i>	0.0372*	(0.0200)	0.00453	(0.00933)
<i>aquarium_ownership</i>	0.0189	(0.0351)	-0.0284	(0.0217)
<i>waterbed_ownership</i>	0.0180	(0.0386)	0.0183	(0.0185)
<i>sauna_ownership</i>	0.0417**	(0.0169)	0.00746	(0.00814)
<i>owns_home</i>	0.0800**	(0.0342)	0.00117	(0.0163)
<i>livingspace_home</i>	0.000537***	(0.000117)	0.0000251	(0.0000504)
<i>singlefamily_home</i>	0.107***	(0.0242)	-0.00657	(0.0112)
<i>household_size</i>	0.0346***	(0.00675)	-0.000188	(0.00318)
<i>income_cat1 (<1800)</i>	-	-	-	-
<i>income_cat2 (1800-2900)</i>	0.0213	(0.0251)	0.00757	(0.00914)
<i>income_cat3 (2900-4400)</i>	-0.00764	(0.0248)	0.0292***	(0.0106)
<i>income_cat4 (>4400)</i>	-0.00760	(0.0293)	0.0329**	(0.0137)
<i>high_environmentalism</i>	0.0376**	(0.0186)	0.0194*	(0.0108)
<i>UpperAT</i>	-0.248***	(0.0176)	0.00901	(0.00917)
<i>population (1000's)</i>	-0.000673**	(0.000247)	0.0000828	(0.000109)
<i>leftvoters (%)</i>	-0.00503***	(0.00116)	0.000257	(0.000620)
Pseudo R-sq.		0.2		0.14

N = 2,541 ; * p<0.1, ** p<0.05, *** p<0.01

Endogeneity between PV and EV adoption

If decision to adopt is made jointly, as suggested by our theory, or similar unobservables influence both decisions (e.g. localized incentives, peer effects, etc.)

Test this with Recursive Bivariate Probit:

$$y_{1i}^* = \beta' \mathbf{x}_{1i} + \alpha y_{2i} + \epsilon_{1i}$$

$$y_{2i}^* = \beta' \mathbf{x}_{2i} + \epsilon_{2i}$$

with

$$[\epsilon_{1i}, \epsilon_{2i}] \sim \Phi[(0, 0), (1, 1), \zeta], \quad \zeta \in [-1, 1]$$

Where ζ is an estimable correlation parameter. We test the hypothesis $\zeta = 0$ and cannot reject at the 1% level, implying endogeneity exists

Table: Partial effects from recursive bivariate probit model on future planned EV purchase with PV ownership endogenously determined

Variable	Sample excluding current EV owners N = 2,434			
	Marg. Eff	Std. Err.	Z-stat.	Prob>Z
<i>PV_ownership</i>	0.1867*	0.1071	1.74	0.08
<i>owns_home</i>	0.045	0.0324	1.40	0.162
<i>livingspace_home</i>	0.0002	0.0002	1.13	0.258
<i>singlefamily_home</i>	-0.0255	0.0277	-0.92	0.356
<i>household_size</i>	0.0020	0.009	0.22	0.823
<i>income_cat1 (<1800)</i>				
<i>income_cat2 (1800-2900)</i>	0.0763***	0.0245	3.12	0.002
<i>income_cat3 (2900-4400)</i>	0.093***	0.0251	3.71	0.000
<i>income_cat4 (>4400)</i>	0.1651***	0.0327	5.05	0.000
<i>high_environmentalism</i>	0.0636***	0.0226	2.83	0.005
<i>UpperAT</i>	-0.0186	0.042	-0.44	0.657
<i>population (1000's)</i>	0.0005*	0.0003	1.86	0.062
<i>leftvoters (%)</i>	-0.0002	0.0014	-0.14	0.889

* $p < 0.1$, ** $p < 0.05$, *** $p < 0.01$



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